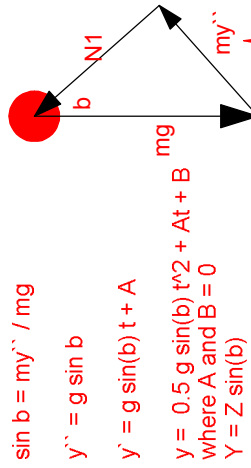


PROBLEMS

1. Under the influence of gravity and without resistance, particles start simultaneously from rest at O and slide along variously inclined straight grooves cut in the surface of a cone with inclined axis (Fig. 9). Prove that after any lapse of time t, all the particles will lie on the surface of a sphere of diameter $D = \frac{2g}{g \sin^2 \alpha}$.

FREE BODY DIAGRAM OF THE RED PARTICLE

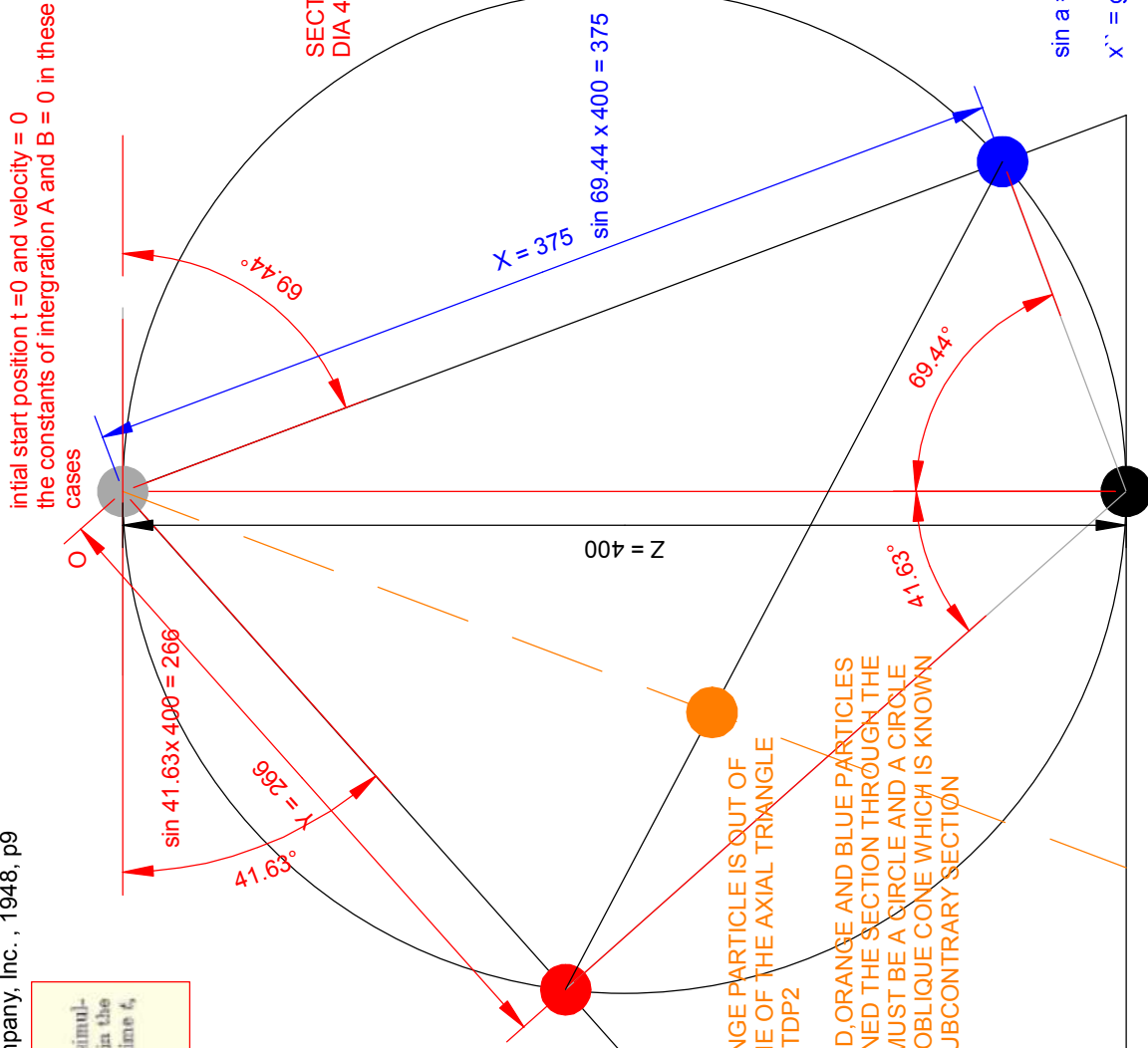


$$\begin{aligned} \sin b &= my'' / mg \\ y'' &= g \sin b \\ y' &= g \sin(b) t + A \\ y &= 0.5 g \sin(b) t^2 + At + B \\ \text{where } A \text{ and } B &= 0 \\ Y &= Z \sin(b) \end{aligned}$$

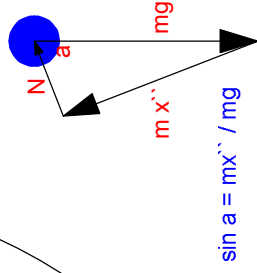
D'Alembert's Principle

THE ORANGE PARTICLE IS OUT OF THE PLANE OF THE AXIAL TRIANGLE SEE DRG TDP2
IF THE RED, ORANGE AND BLUE PARTICLES ARE ALIGNED THE SECTION THROUGH THE SPHERE MUST BE A CIRCLE AND A CIRCLE FOR THE OBLIQUE CONE WHICH IS KNOWN AS THE SUBCONTRARY SECTION

AXIAL TRIANGLE OF AN OBLIQUE CONE



FREE BODY DIAGRAM OF BLUE PARTICLE



$$\begin{aligned} \sin a &= mx'' / mg \\ x'' &= g \sin a \end{aligned}$$

$$mz'' = mg$$

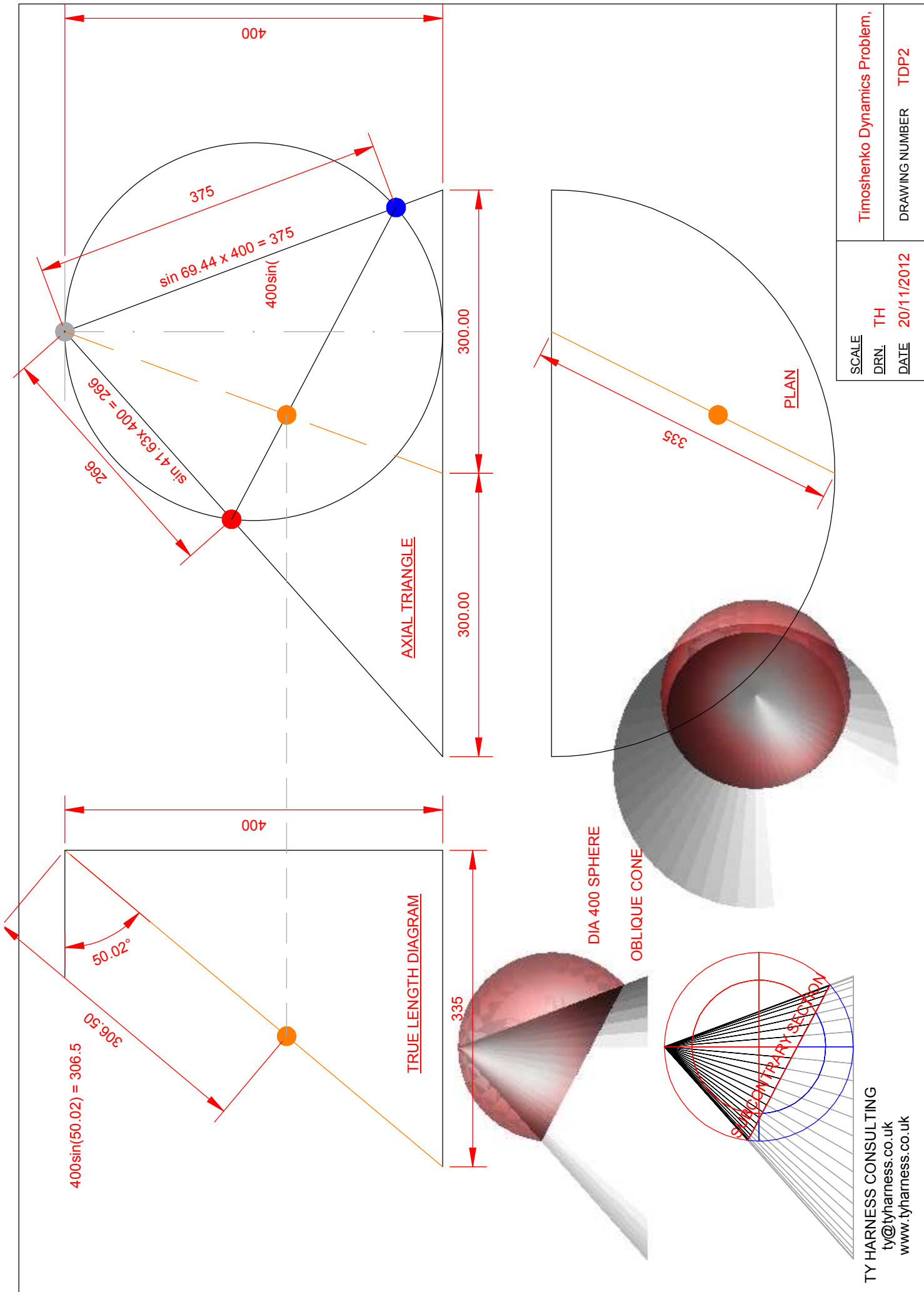
$$z'' = g$$

$$z' = g t + A$$

$$\begin{aligned} z &= 0.5 g t^2 + At + B \\ \text{where } A &= 0 \text{ and } B=0 \\ Z &= 0.5 g t^2 \end{aligned}$$

IMAGINE THIS PARTICLE DROPS THRU THE CENTRE OF THE SPHERE UNDER THE FORCE OF GRAVITY

FREE BODY DIAGRAM OF THE BLACK PARTICLE



SCALE	TH	Timoshenko Dynamics Problem,
DRN.	TH	DRAWING NUMBER
DATE	20/11/2012	TDP2